

Credit Booms, Financial Crises and Macroprudential Policy

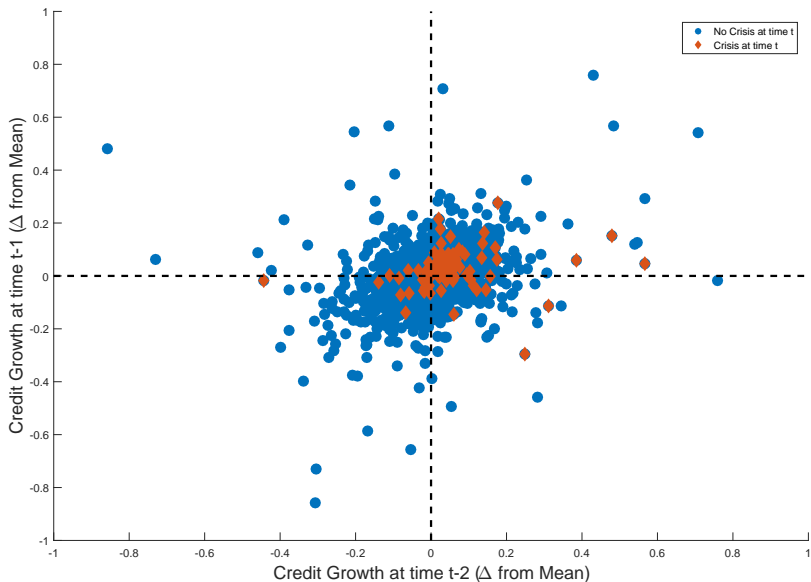
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What We Do

- ▶ We develop a model of banking panics in which:
 1. Banking crises are usually preceded by credit booms
 2. Credit booms often do not result in crises, i.e. good booms
- ▶ We study Macroprudential regulation in this model:
 - ▶ How does Macroprudential policy weigh the benefits of preventing a crisis against the costs of stopping a good boom?
 - ▶ What are the effects of macroprudential policy and the features of optimal regulation?
 - ▶ Unintended consequences of regulation; Countercyclical buffers

Banking Crises in the Data (Schularick and Taylor)



Framework

- ▶ Endowment economy version of GKP (2018)
- ▶ Focus on how beliefs driven fluctuations can reproduce key empirical properties of banking crises in the data:
 - ▶ Boom bust cycles in credit
 - ▶ Unpredictability of crises
- ▶ Macroprudential regulation

Model Overview

- ▶ Capital is fixed $K_t = K = 1$ (normalized to unity)
- ▶ (K_t^b) intermediated by banks; (K_t^h) directly held by households :

$$1 = K_t^h + K_t^b$$

- ▶ Households direct finance entails a quadratic deadweight loss

$$\frac{\alpha}{2} (K_t^h)^2$$

- ▶ Resource constraint is:

$$Y_t = Z_t - \frac{\alpha}{2} (K_t^h)^2 = C_t$$

where Z_t is an exogenous productivity shock

Marginal Rates of Return on Capital

$Q_t \equiv$ price of capital

- ▶ Intermediated capital

$$R_{t+1}^b = \frac{Z_{t+1} + Q_{t+1}}{Q_t}$$

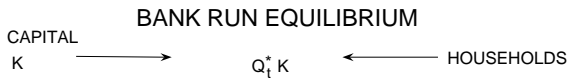
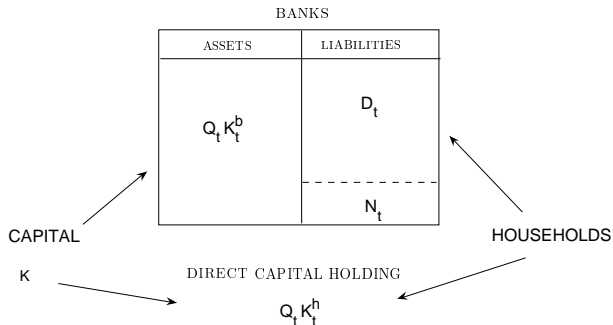
- ▶ Directly held

$$R_{t+1}^h = \frac{1}{1 + \alpha \frac{\kappa_t^h}{Q_t}} R_{t+1}^b$$

i.e. increasing marginal cost of direct finance

Household and Bank Intermediation

NO BANK RUN EQUILIBRIUM



Bankers

- ▶ Objective

$$V_t = E_t \Lambda_{t,t+1} [(1 - \sigma)n_{t+1} + \sigma V_{t+1}]$$

- ▶ Net worth n_t accumulated via retained earnings - no new equity issues

$$\begin{aligned} n_{t+1} &= R_{t+1}^b Q_t k_t^b - \bar{R}_t d_t && \text{if no run} \\ &= 0 && \text{if run} \end{aligned}$$

- ▶ Balance sheet

$$Q_t k_t^b = d_t + n_t$$

Deposit Contract

$\bar{R}_t \equiv$ deposit rate; $R_{t+1} \equiv$ return on deposits

$p_t \equiv$ run probability; $x_{t+1} < 1 \equiv$ recovery rate

- ▶ Deposit contract: (One period)

$$R_{t+1} = \begin{cases} \bar{R}_t & \text{with prob. } 1 - p_t \\ x_{t+1} \bar{R}_t & \text{with prob. } p_t \end{cases}$$

Limits to Bank Arbitrage

- ▶ Moral Hazard Problem:
 - ▶ After banker borrows funds at t , it may divert fraction θ of assets for personal use.
 - ▶ If bank does not honor its debt, creditors can
 - ▶ recover the residual funds and
 - ▶ shut the bank down.
- ▶ \Rightarrow Incentive constraint (IC)

$$\theta Q_t k_t^b \leq V_t$$

Solution

- ▶ Can show $V_t = \psi_t n_t$ with $\psi_t \geq 1$ and independent of n_t
- ▶ Combine with $IC \rightarrow$ endogenous capital requirement :

$$\kappa_t \equiv \frac{n_t}{Q_t k_t^b} \geq \frac{\theta}{\psi_t}$$

- ▶ Note:
 - ▶ ψ_t countercyclical \rightarrow market capital requirements relaxed in bad times
 - ▶ $n_t \leq 0 \Rightarrow$ bank cannot operate (key for run equilibria)

Bank Runs

- ▶ Self-fulfilling "bank run" equilibrium (i.e. rollover crisis) possible if:
 - ▶ A depositor believes that if other households do not roll over their deposits, the depositor will lose money by rolling over.
 - ▶ Condition met iff banks' net worth n_t goes to zero during a run
 - ▶ $n_t = 0 \rightarrow$ banks cannot operate

Conditions for Bank Run Equilibrium (BRE)

- ▶ Run equilibrium exists at $t + 1$ if

$$(Q_{t+1}^* + Z_{t+1}) K_t^b < D_t \bar{R}_t \quad (1)$$

where $Q_{t+1}^* \equiv$ is the liquidation price:

$$Q_t^* = E_t\{\Lambda_{t,t+1}(Z_{t+1} + Q_{t+1})\} - \alpha K_t^h$$

evaluated at $K_t^h = 1$

- ▶ $\iota_{t+1} \equiv$ sunspot variable; if $\iota_{t+1} = 1$ depositors panic when run possible
- ▶ Run occurs if (i) equation (1) is satisfied and (ii) $\iota_{t+1} = 1$

Run Probability p_t

- ▶ Assume sunspot occurs with probability \varkappa .
- ▶ \rightarrow The time t probability of a run at $t + 1$ is

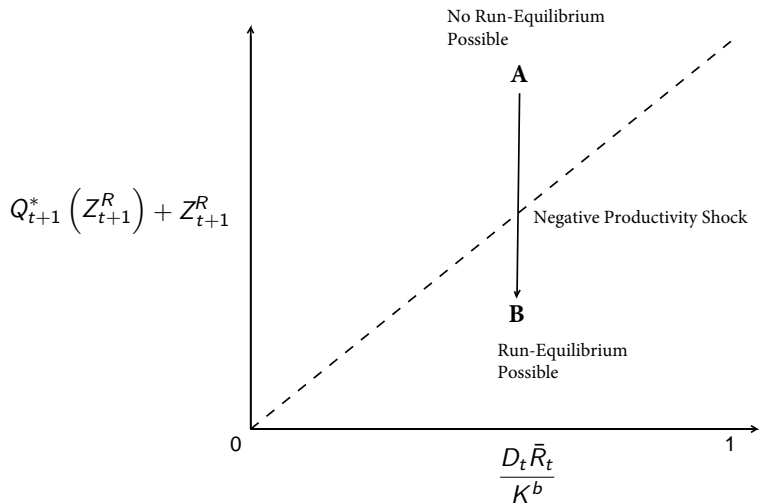
$$p_t = \Pr_t\{Z_{t+1} < Z_{t+1}^R\} \cdot \varkappa$$

- ▶ Z_{t+1}^R is the threshold value below which a run is possible

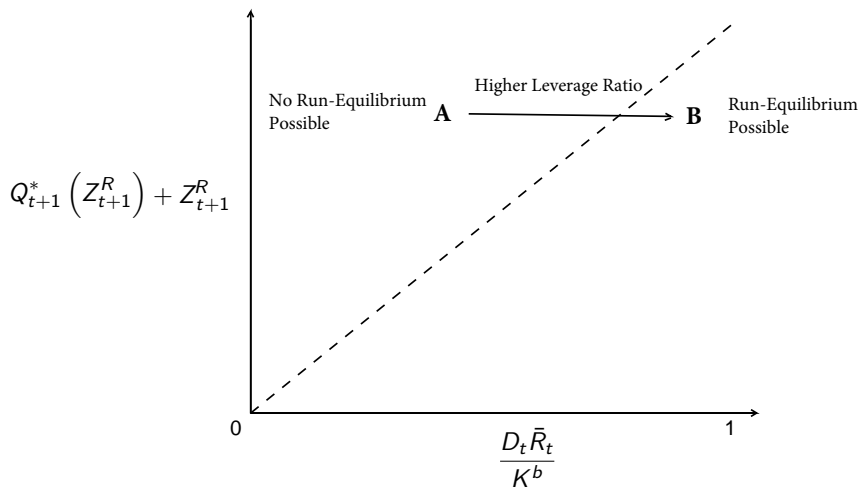
$$Q_{t+1}^* \left(Z_{t+1}^R \right) + Z_{t+1}^R = \frac{D_t \bar{R}_t}{K_t^b}$$

\rightarrow Higher leverage ratios $\frac{D_t \bar{R}_t}{K_t^b}$ increase run probability

Run Equilibrium

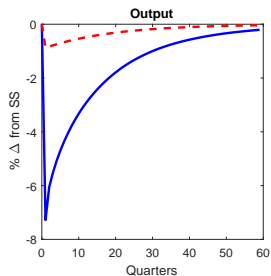
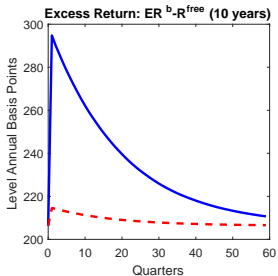
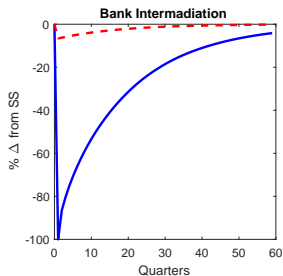
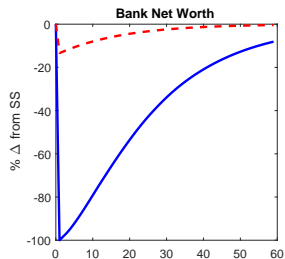
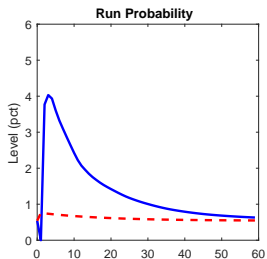
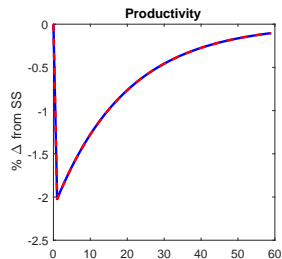


Run Equilibrium



Run After a Negative 2 std Shock

— Sunspot - - - No Sunspot



Boom leading to the bust: news driven optimism

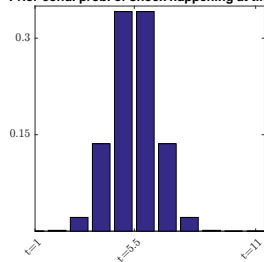
- ▶ Productivity:

$$Z_{t+1} = \rho Z_t + \epsilon_{t+1}$$

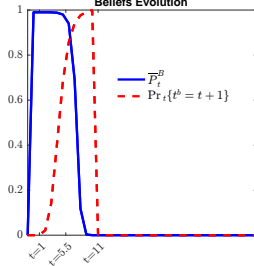
- ▶ Normally, $E\{\epsilon_{t+1}\} = 0$
- ▶ Occasionally, bankers receive news about future productivity
- ▶ If news at t , bankers learn that unusually large realization ϵ_{t^B} of size $B > 0$ will happen at $t^B \in \{t + 1, \dots, t + T\}$ with prob. $\bar{P}_0^B < 1$
- ▶ $\Pr_t\{t^B = t + i\}$ is a truncated Normal (discrete approx.)
- ▶ Agents update \Pr_{t+i} and \bar{P}_{t+i}^B by observing ϵ_{t+i}
- ▶ Prob. at $t + i$ of shock at $t + i + 1$ is $\Pr_t\{t^B = t + i + 1\} \cdot \bar{P}_{t+i}^B$

Beliefs Driven Credit Boom

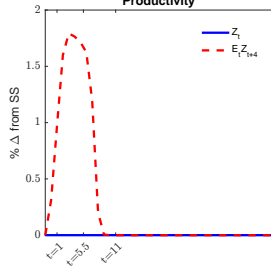
Prior cond. prob. of shock happening at time t



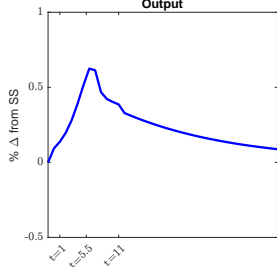
Beliefs Evolution



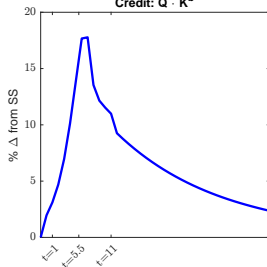
Productivity



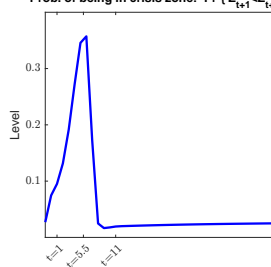
Output



Credit: $Q \cdot K^b$

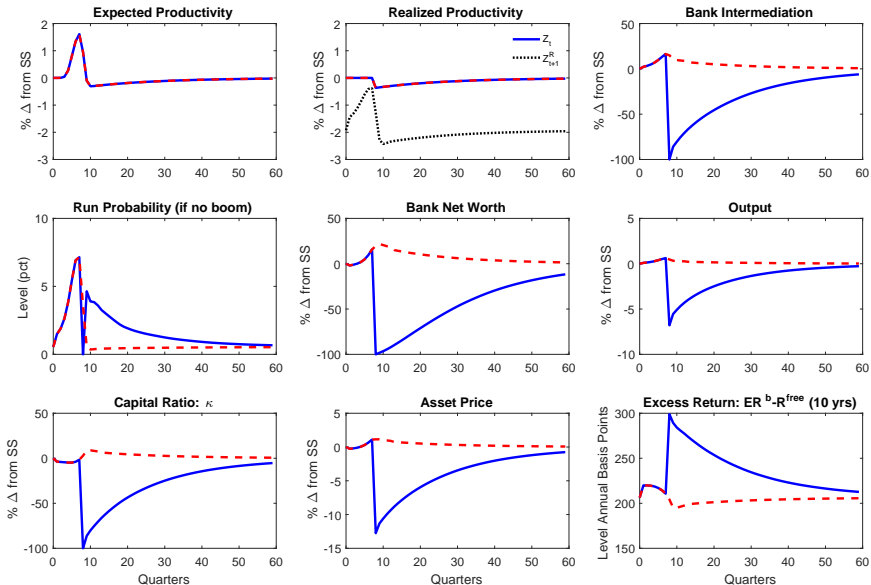


Prob. of being in crisis zone: $\Pr\{Z_{t+1} < Z_{t+1}^R\}$



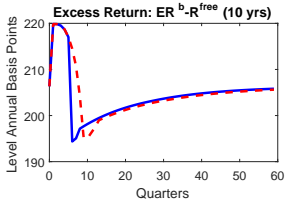
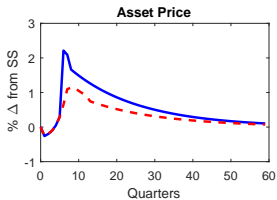
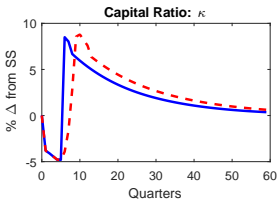
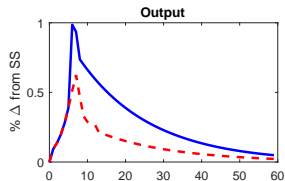
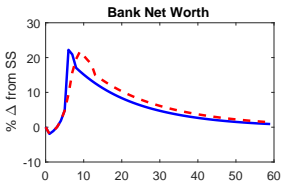
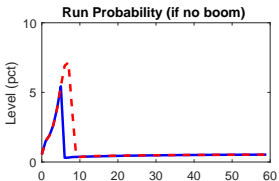
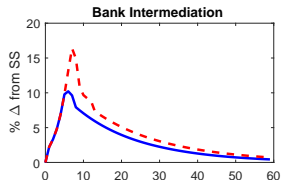
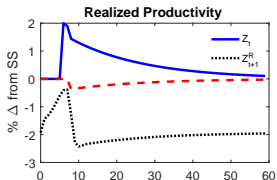
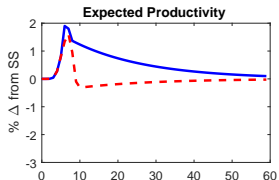
Boom Leading to a bust

— Sunspot observed - - No Sunspot observed

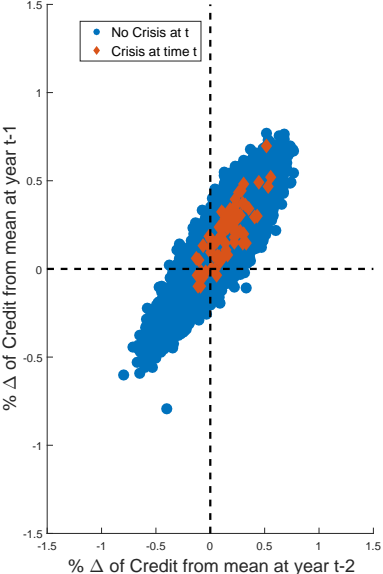
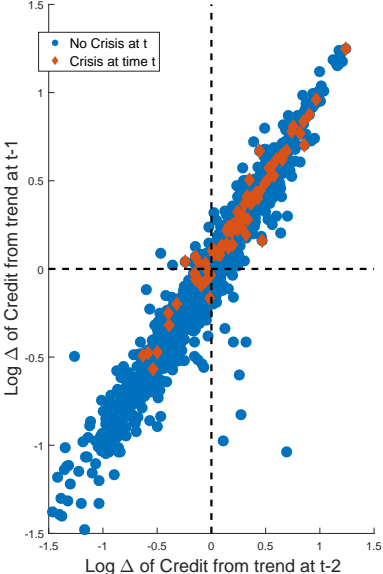


False Alarms

— Boom Happens - - - No Sunspot is Observed



Unpredictability of Crises: Data and Model



Regulation

- ▶ Macroprudential regulator sets time varying capital requirement $\bar{\kappa}_t$
- ▶ Equilibrium capital ratios are

$$\kappa_t = \max \{ \bar{\kappa}_t, \kappa_t^m \}$$

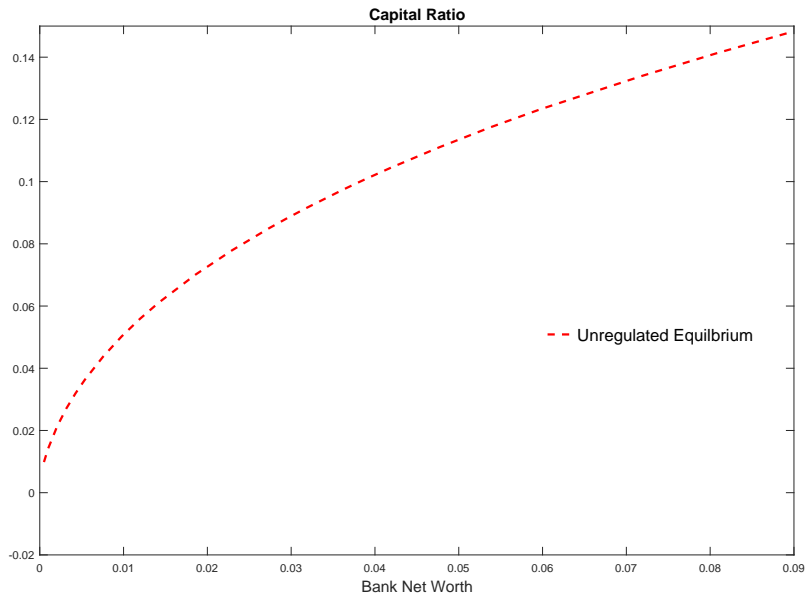
where $\kappa_t^m = \frac{\theta}{\psi_t}$ are the market imposed capital ratios

- ▶ We restrict policy to be determined by simple rule

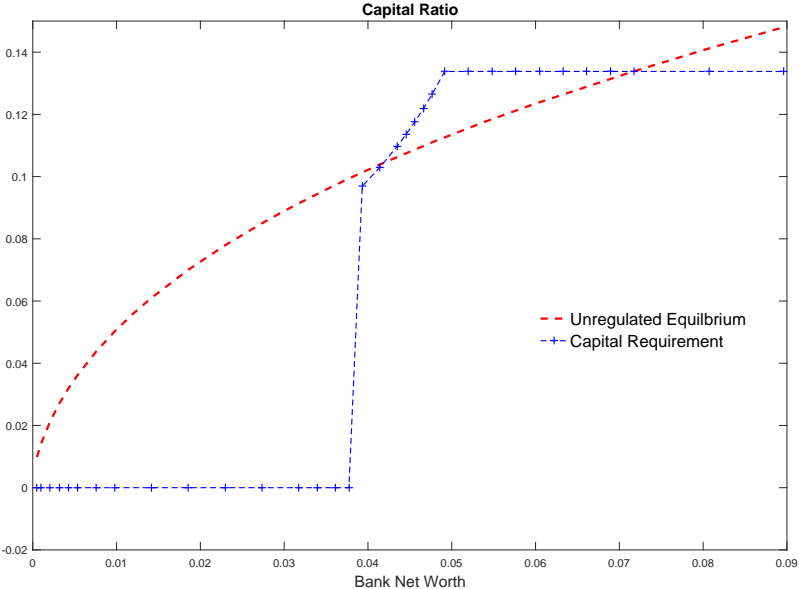
$$\bar{\kappa}_t = \begin{cases} \bar{\kappa} & \text{if } N_t \geq \bar{N} \\ 0 & \text{if } N_t < \bar{N} \end{cases}$$

- ▶ We look for $(\bar{\kappa}, \bar{N})$ that maximize welfare

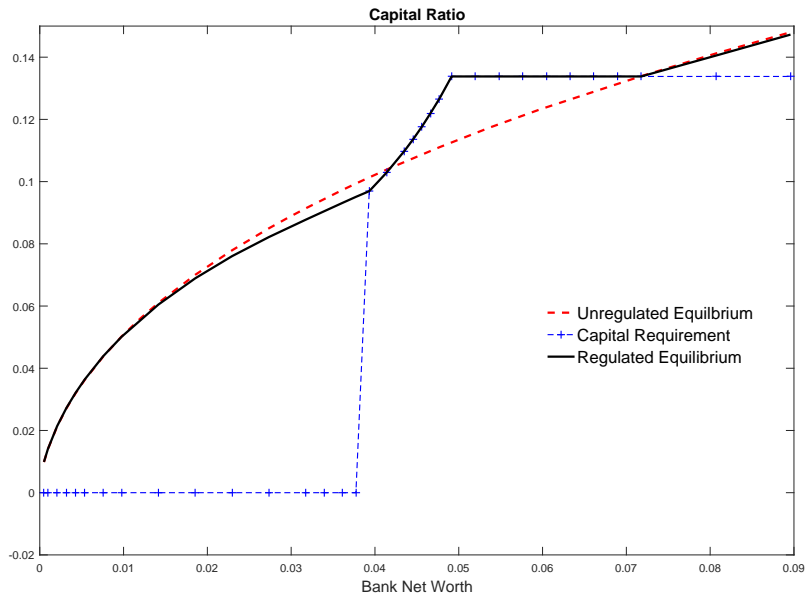
Regulation



Regulation

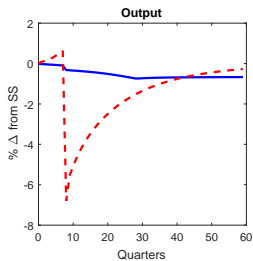
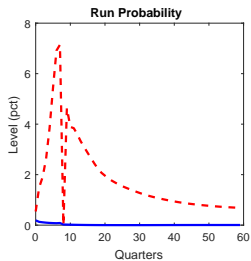
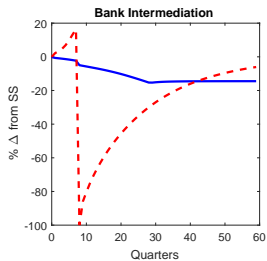
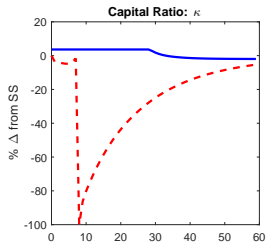
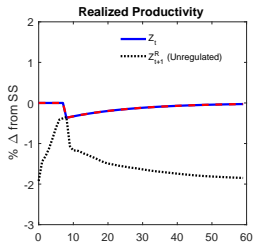
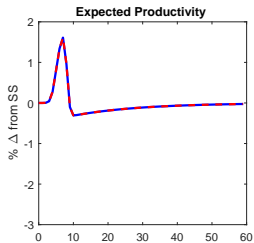


Regulation



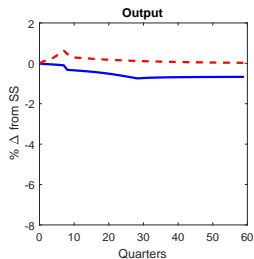
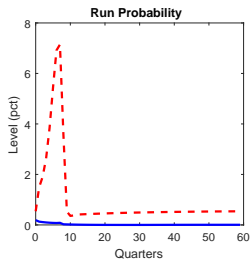
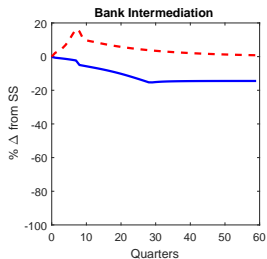
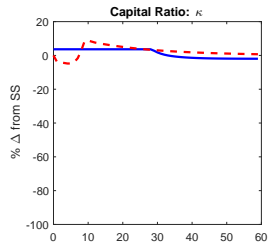
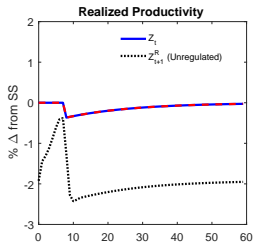
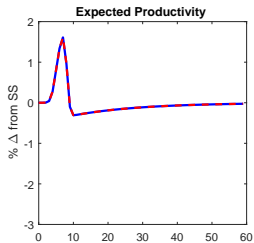
Avoiding a Run with Regulation

— Regulated - - - Unregulated



Responding to False Alarms: No Sunspot Observed

— Regulated - - - Unregulated

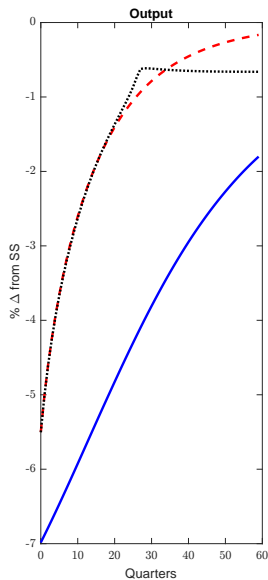
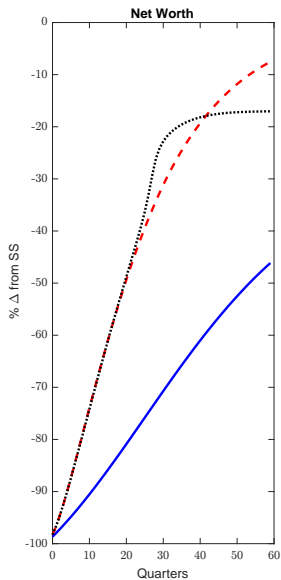
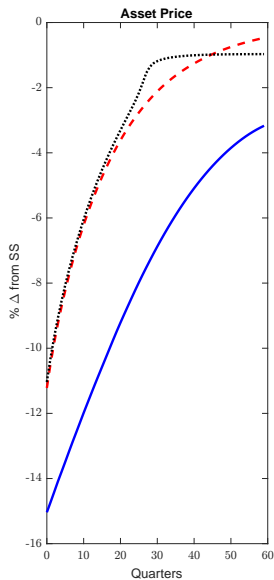


Effect of Regulation

	Unregulated Economy ($\bar{k} = 0; \bar{N} = 0$)	Optimal Regulation ($\bar{k} = .13; \bar{N} = .85 * N_{SS}^{DE}$)	Fixed Capital Requirements ($\bar{k} = .13; \bar{N} = 0$)
Run Frequency	.8 pct	.45 pct	.3 pct
AVG Output Cond. No Run (Δ from Decentralized Economy)	0	-.4 pct	-1.7 pct
AVG Output (Δ from Decentralized Economy)	0	.1 pct	-.9 pct
Welfare Gain (Δ Permanent Consumption)	0	.16 pct	-1.16 pct

Recovery From a Run

— Regulated Fixed - - Unregulated Regulated Countercyclical



Conclusion

- ▶ Develop model of banking panics that captures boom-bust cycles and unpredictability of runs
- ▶ Study macroprudential policy
- ▶ Future work
 - ▶ Ex-post intervention
 - ▶ Regulated and Unregulated Banks
 - ▶ Multiple assets